

# Total ionization cross sections for Sr, Y, Ru, Pd and Ag atoms by electron impact

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# Introduction

## Why e-atom/molecule collision calculations?

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- **Electrons: an effective source**
  
- **Applications of e-atom / e-molecule CS to,**
  - atmospheric sciences (ozone, climate change etc.)
  - plasma etching
  - understanding & modeling plasmas in fusion devices
  - In radiation physics (medical science) etc.
  
- **Difficulty in performing experiments**
  - Expensive
  - Limitation to targets
  - Time consuming
  
- **Need for reliable calculations**



# Theoretical Method

(SCOP\*)

- Spherical Complex Optical Potential (SCOP) formalism
- Schrodinger eqn is solved by partial wave analysis employing the potentials of the system
- This would give complex phase shifts for each partial wave through,

$$\tan \delta_l(k) = \frac{kj_l'(ka) - \gamma_l(k)j_l(ka)}{k\eta_l'(ka) - \gamma_l(k)\eta_l(ka)}$$

Where,  $j$  and  $\eta$  are the Bessel and Neumann functions respectively obtained from the solution of the radial part of the Schrödinger eqn using the potentials incorporated in the formalism.



## Theoretical Method continued...

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- The potential employed here is spherical and complex and hence the name Spherical Complex Optical Potential formalism, which is given by,

$$V_{opt}(r, E_i) = V_R(r) + iV_I(r, E_i)$$

Where the real part is,

$$V_R(r, E_i) = V_{st}(r) + V_{ex}(r, E_i) + V_p(r, E_i)$$

- The inelastic cross section cannot be obtained directly from experiments, whereas ionization cross section is measurable.



## Theoretical Method continued...

- The  $Q_{ion}$  is then obtained using a semi-empirical approach "Complex Scattering Potential-ionization contribution" (CSP-ic)\* method from  $Q_{inel}$  by defining an energy related ratio.

$$R(E_i) = \frac{Q_{ion}(E_i)}{Q_{inel}(E_i)}$$

$$R(E_i) = 1 - C_1 \left( \frac{C_2}{U + a} + \frac{\ln(U)}{U} \right) \quad \text{with} \quad U = \frac{E_i}{I}$$

- The parameters are obtained using the conditions,

$$\begin{aligned} R(E_i) &= 0 & \text{for } E_i \leq I \\ &= R_p & \text{at } E_i = E_p \\ &\cong 1 & \text{for } E_i \gg E_p \end{aligned}$$

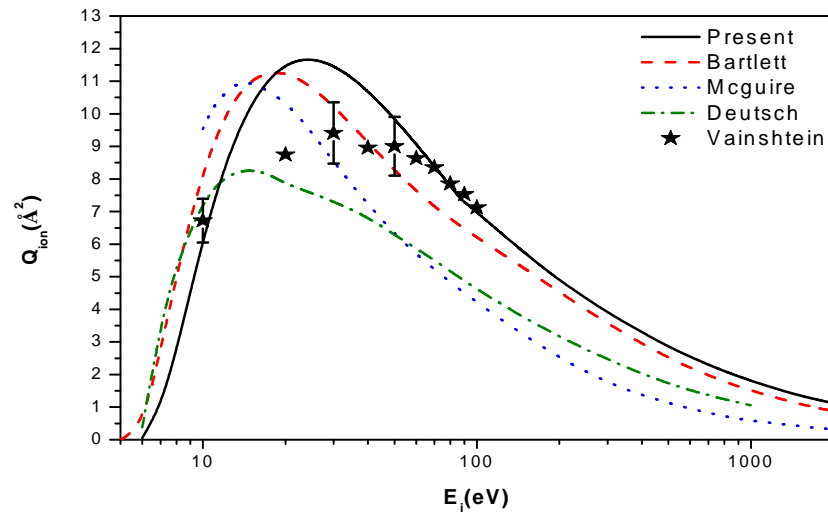


Fig 1:  $Q_{ion}$  for e – Sr scattering in  $\text{Å}^2$

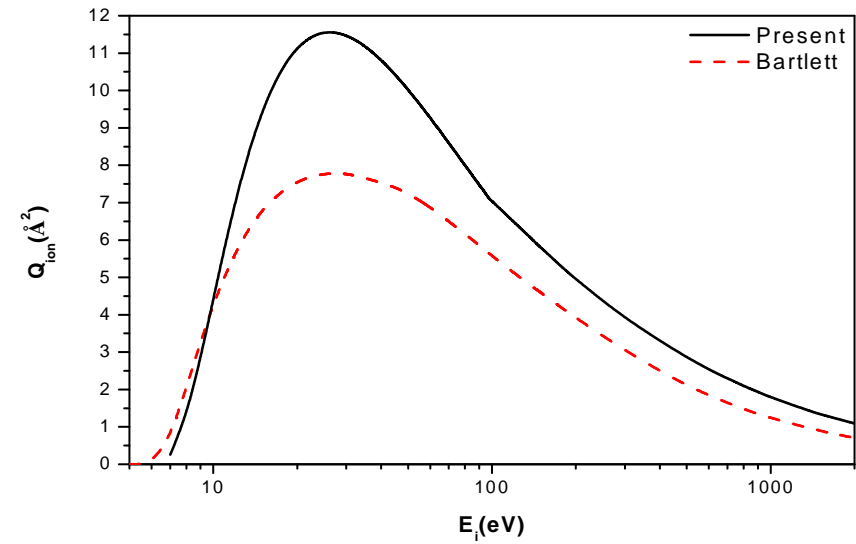


Fig 2:  $Q_{ion}$  for e – Y scattering in  $\text{Å}^2$

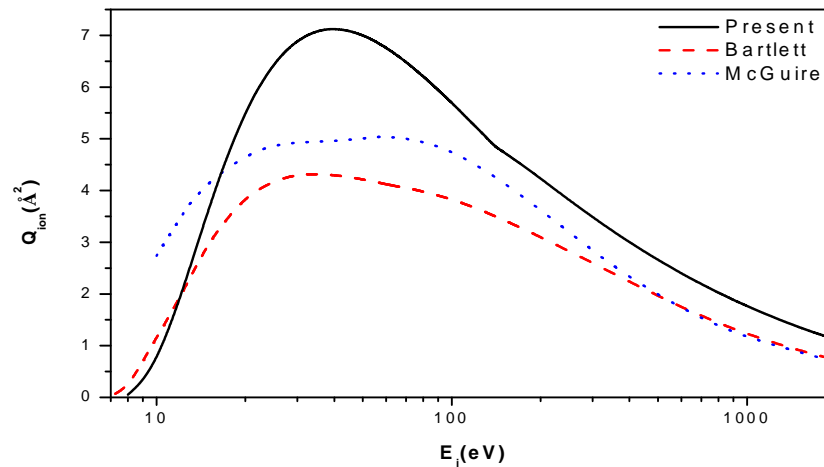


Fig 3:  $Q_{ion}$  for e – Ru scattering in  $\text{Å}^2$

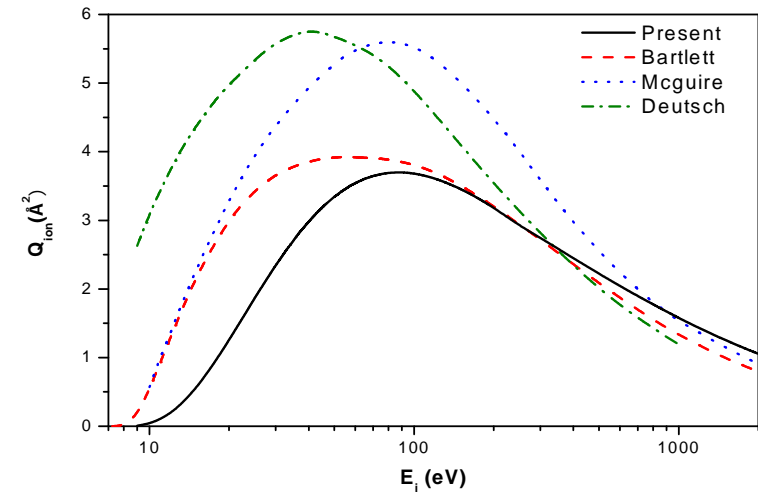


Fig 4:  $Q_{ion}$  for e – Pd scattering in  $\text{Å}^2$

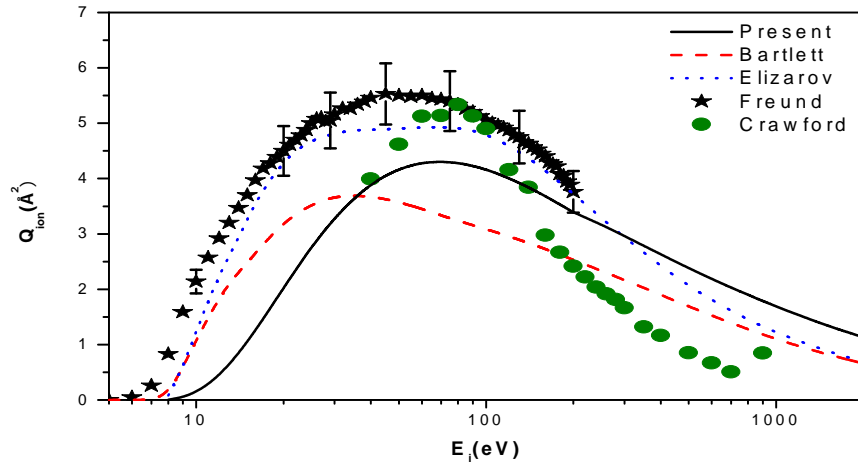


Fig 5:  $Q_{ion}$  for e – Ag scattering in  $\text{Å}^2$

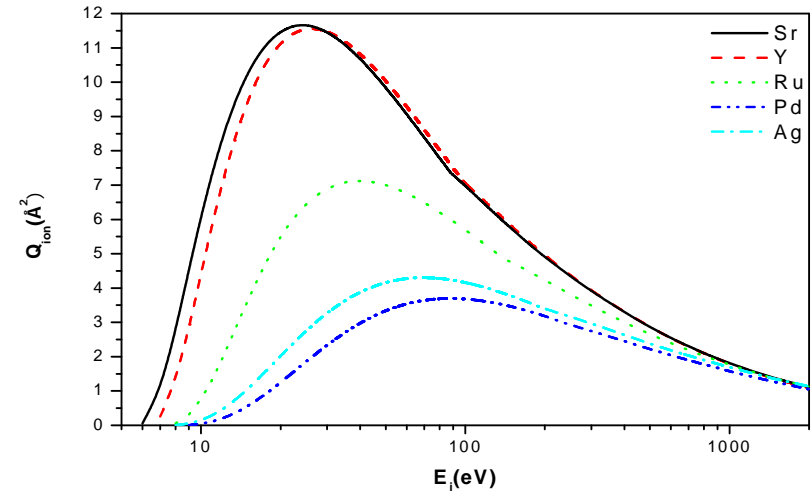
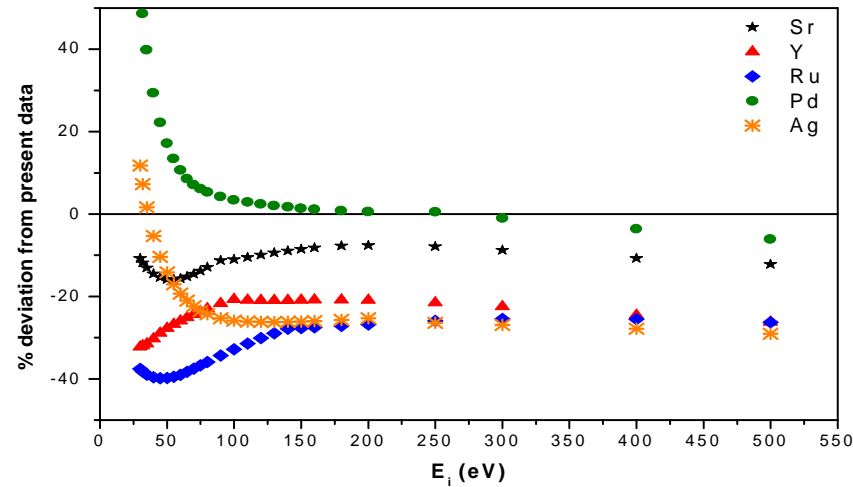


Fig 7:  $Q_{ion}$  for all the targets in  $\text{Å}^2$



Percentage deviation of Bartlett and Stelbovics from the present data for all the atoms.





# Summary

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► We have performed a series of calculations on electron collisions with atoms.

► Accurate measurements are quite tedious to perform. They are not only expensive, but also not viable for many systems where cross sections are required.

► Our calculations are based on quantum mechanical approximations with less degree of accuracy compared to fully quantum mechanical theories.



► However, the results obtained by present method seems to agree quite well with the experiments and other theories where ever available. They are within the experimental uncertainties otherwise.

► Present formalism has been tested for a vast target systems and we have observed that they are quite successful even with radicals and heavier hydrocarbon molecules.

► We are hence quite sure that the results obtained by our method is reliable and may be utilized for further modeling.

# Thanks

My Supervisor: Dr Bobby K Antony

My Research mates: Rahla Nagma and Biplab Goswami

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**UGC, New Delhi through project No. UGC(59)/2010-2011/277/APH**